

```

> restart
> with(linalg)
[BlockDiagonal, GramSchmidt, JordanBlock, LUdecomp, QRdecomp, Wronskian, addcol,      (1)
  addrow, adj, adjoint, angle, augment, backsub, band, basis, bezout, blockmatrix, charmat,
  charpoly, cholesky, col, coldim, colspace, colspan, companion, concat, cond, copyinto,
  crossprod, curl, definite, delcols, delrows, det, diag, diverge, dotprod, eigenvals,
  eigenvalues, eigenvectors, eigenvects, entermatrix, equal, exponential, extend, ffgausselim,
  fibonacci, forwardsub, frobenius, gausselim, gaussjord, geneqns, genmatrix, grad,
  hadamard, hermite, hessian, hilbert, htranspose, ihermite, indexfunc, innerprod, initbasis,
  inverse, ismith, issimilar, iszero, jacobian, jordan, kernel, laplacian, leastsqr, linsolve,
  matadd, matrix, minor, minpoly, mulcol, mulrow, multiply, norm, normalize, nullspace,
  orthog, permanent, pivot, potential, randmatrix, randvector, rank, ratform, row, rowdim,
  rowspace, rowspan, rref, scalarmul, singularvals, smith, stackmatrix, submatrix, subvector,
  sumbasis, swapcol, swaprow, sylvester, toeplitz, trace, transpose, vandermonde, vecpotent,
  vectdim, vector, wronskian]

> MatA := array( [[1, 2], [-1, 3]])

$$MatA := \begin{bmatrix} 1 & 2 \\ -1 & 3 \end{bmatrix} \quad (2)$$


> MatB := array( [[6, -4], [3, 7]])

$$MatB := \begin{bmatrix} 6 & -4 \\ 3 & 7 \end{bmatrix} \quad (3)$$


> SumaAB := evalm( MatA + MatB)

$$SumaAB := \begin{bmatrix} 7 & -2 \\ 2 & 10 \end{bmatrix} \quad (4)$$


> ProAB := evalm( MatA &* MatB)

$$ProAB := \begin{bmatrix} 12 & 10 \\ 3 & 25 \end{bmatrix} \quad (5)$$


> ValA := det(MatA)

$$ValA := 5 \quad (6)$$


> ValB := det(MatB)

$$ValB := 54 \quad (7)$$


> ValSumaAB := det(SumaAB)

$$ValSumaAB := 74 \quad (8)$$


> ValAB := det(ProAB)

$$ValAB := 270 \quad (9)$$


> Carac := eigenvalues(MatA)

$$Carac := 2 + I, 2 - I \quad (10)$$


> InvMatA := inverse(MatA)

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(11)

$$InvMatA := \begin{bmatrix} \frac{3}{5} & -\frac{2}{5} \\ \frac{1}{5} & \frac{1}{5} \end{bmatrix} \quad (11)$$

> `evalm(MatA)`

$$\begin{bmatrix} 1 & 2 \\ -1 & 3 \end{bmatrix} \quad (12)$$

> `Ident := evalm(MatA &* InvMatA)`

$$Ident := \begin{bmatrix} 1 & 0 \\ 0 & 1 \end{bmatrix} \quad (13)$$

> `restart`

CAMBIO DE PAQUETE

> `with(DEtools)`

[`AreSimilar, Closure, DEnormal, DEplot, DEplot3d, DEplot_polygon, DFactor,`
`DFactorLCLM, DFactorsols, Dchangevar, Desingularize, FunctionDecomposition, GCRD,`
`Gosper, Heunsols, Homomorphisms, IVPsol, IsHyperexponential, LCLM, MeijerGsols,`
`MultiplicativeDecomposition, ODEInvariants, PDEchangecoords, PolynomialNormalForm,`
`RationalCanonicalForm, ReduceHyperexp, RiemannPsols, Xchange, Xcommutator, Xgauge,`
`Zeilberger, abelsol, adjoint, autonomous, bernoullisol, buildsol, buildsym, canoni, caseplot,`
`casesplit, checkrank, chinisol, clairautsol, constcoeffsols, convertAlg, convertsys,`
`dalembertsol, dcoeffs, de2diffop, dfieldplot, diff_table, diffop2de, dperiodic_sols, dpolyform,`
`dsubs, eigenring, endomorphism_charpoly, equinv, eta_k, eulersols, exactsol, expsols,`
`exterior_power, firint, firtest, formal_sol, gen_exp, generate_ic, genhomosol, gensys,`
`hamilton_eqs, hypergeomsols, hyperode, indicialeq, infgen, initialdata, integrate_sols,`
`intfactor, invariants, kovacicsols, leftdivision, liesol, line_int, linearsol, matrixDE,`
`matrix_riccati, maxdimsystems, moser_reduce, muchange, mult, mutest, newton_polygon,`
`normalG2, ode_int_y, ode_y1, odeadvisor, odepde, parametricsol, particularsols,`
`phaseportrait, poincare, polysols, power_equivalent, rational_equivalent, ratsols, redeode,`
`reduceOrder, reduce_order, regular_parts, regularsp, remove_RootOf, riccati_system,`
`riccatisol, rifread, rifsimp, rightdivision, rtaylor, separablesol, singularities, solve_group,`
`super_reduce, symgen, symmetric_power, symmetric_product, symtest, transinv, translate,`
`untranslate, varparam, zoom]`]

> `with(plots)`

[`animate, animate3d, animatecurve, arrow, changecoords, complexplot, complexplot3d,`
`conformal, conformal3d, contourplot, contourplot3d, coordplot, coordplot3d, densityplot,`
`display, dualaxisplot, fieldplot, fieldplot3d, gradplot, gradplot3d, implicitplot,`
`implicitplot3d, inequal, interactive, interactiveparams, intersectplot, listcontplot,`
`listcontplot3d, listdensityplot, listplot, listplot3d, loglogplot, logplot, matrixplot, multiple,`
`odeplot, pareto, plotcompare, pointplot, pointplot3d, polarplot, polygonplot, polygonplot3d,`
`polyhedra_supported, polyhedraplot, rootlocus, semilogplot, setcolors, setoptions,`
`setoptions3d, spacecurve, sparsematrixplot, surldata, textplot, textplot3d, tubeplot]`]

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> with(inttrans)
[addtable, fourier, fouriercos, fouriersin, hankel, hilbert, invfourier, invhilbert, invlaplace,
invmellin, laplace, mellin, savetable] (16)
> with(PDEtools)
[CanonicalCoordinates, ChangeSymmetry, CharacteristicQ, CharacteristicQInvariants,
ConservedCurrentTest, ConservedCurrents, ConsistencyTest, D_Dx, DeterminingPDE,
Eta_k, Euler, FromJet, FunctionFieldSolutions, InfinitesimalGenerator, Infinitesimals,
IntegratingFactorTest, IntegratingFactors, InvariantEquation, InvariantSolutions,
InvariantTransformation, Invariants, Laplace, Library, PDEplot, PolynomialSolutions,
ReducedForm, SimilaritySolutions, SimilarityTransformation, Solve, SymmetryCommutator,
SymmetryGauge, SymmetrySolutions, SymmetryTest, SymmetryTransformation,
TWSolutions, ToJet, build, casesplit, charstrip, dchange, dcoeffs, declare, diff_table,
difforder, dpolyform, dsubs, mapde, separability, splitstrip, splitsys, undeclare] (17)
> restart
> Ecua := (5·x·3·y(x)·2 + 24·x·y(x)·3 - 12·y(x)) + (2·x·4·y(x) + 24·x·2·y(x)·2 - 6
·x)·diff(y(x), x) = 0
Ecua :=  $5x^3y(x)^2 + 24xy(x)^3 - 12y(x) + (2x^4y(x) + 24x^2y(x)^2 - 6x) \left( \frac{dy(x)}{dx} \right) = 0$  (18)
> with(DEtools):
> ComprobacionUno := odeadvisor(Ecua)
ComprobacionUno := [_rational] (19)
> FactInt := intfactor(Ecua)
FactInt := x (20)
> EcuaExacta := (FactInt·Ecua)
EcuaExacta := x  $\left( 5x^3y(x)^2 + 24xy(x)^3 - 12y(x) + (2x^4y(x) + 24x^2y(x)^2 - 6x) \left( \frac{dy(x)}{dx} \right) \right) = 0$  (21)
> ComprobacionDos := odeadvisor(EcuaExacta)
ComprobacionDos := [_exact, _rational] (22)
> SolGral := exactsol(EcuaExacta):
> MM := x·(5x3y2 + 24xy3 - 12y)
MM := x  $(5x^3y^2 + 24xy^3 - 12y)$  (23)
> NN := x·(2x4y + 24x2y2 - 6x)
NN := x  $(2x^4y + 24x^2y^2 - 6x)$  (24)
> ComprobacionTres := simplify(diff(MM, y) - diff(NN, x)) = 0
ComprobacionTres := 0 = 0 (25)
> IntMMx := int(MM, x)
IntMMx := x5y2 + 8x3y3 - 6x2y (26)
> SolGral := expand(IntMMx + int((NN - diff(IntMMx, y)), y)) = C
SolGral := x5y2 + 8x3y3 - 6x2y = C (27)
> restart
> Ecua := (2·x·y(x)·2 - 3·y(x)·3) + (7 - 3·x·y(x)·2)·diff(y(x), x) = 0

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$$Ecua := 2xy(x)^2 - 3y(x)^3 + (7 - 3xy(x)^2) \left(\frac{dy}{dx} y(x) \right) = 0 \quad (28)$$

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> with(DEtools):
> CompUno := odeadvisor(Ecua)
                                         CompUno := [_rational] (29)
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> FactInt := intfactor(Ecua)
                                         FactInt :=  $\frac{1}{y(x)^2}$  (30)
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```
> FactIntUno :=  $\frac{1}{y^2}$ 
                                         FactIntUno :=  $\frac{1}{y^2}$  (31)
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```
> M := 2*x*y^2 - 3*y^3
                                         M := 2xy^2 - 3y^3 (32)
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```
> N := 7 - 3*x*y^2
                                         N := -3xy^2 + 7 (33)
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```
> MM := simplify(FactIntUno*M)
                                         MM := 2x - 3y (34)
```

```
> NN := expand(FactIntUno*N)
                                         NN := -3x +  $\frac{7}{y^2}$  (35)
```

```
> CompDos := diff(MM, y) = diff(NN, x)
                                         CompDos := -3 = -3 (36)
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```
> IntNNy := int(NN, y)
                                         IntNNy := -3xy -  $\frac{7}{y}$  (37)
```

```
> SolGral := IntNNy + int((MM - diff(IntNNy, x)), x) = C
                                         SolGral := -3xy -  $\frac{7}{y}$  + x^2 = C (38)
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