

> restart

PROBLEMA DEL ARCO Y FLECHA

> $EcuaDinamica := Masa_6 \cdot diff(s(t), t\$2) + Hooke \cdot s(t) = 0$

$$EcuaDinamica := Masa_6 \left(\frac{d^2}{dt^2} s(t) \right) + Hooke s(t) = 0 \quad (1)$$

> $Hooke := \frac{\left(\frac{1143}{100} \right)}{\left(\frac{3}{10} \right)}; gravedad := \frac{981}{100}; Masa_6 := \frac{\left(\frac{23}{1000} \right)}{gravedad}$

$$Hooke := \frac{381}{10}$$

$$gravedad := \frac{981}{100}$$

$$Masa_6 := \frac{23}{9810} \quad (2)$$

> $Condiciones := s(0) = -\frac{486}{1000}, D(s)(0) = 0;$

$$Condiciones := s(0) = -\frac{243}{500}, D(s)(0) = 0 \quad (3)$$

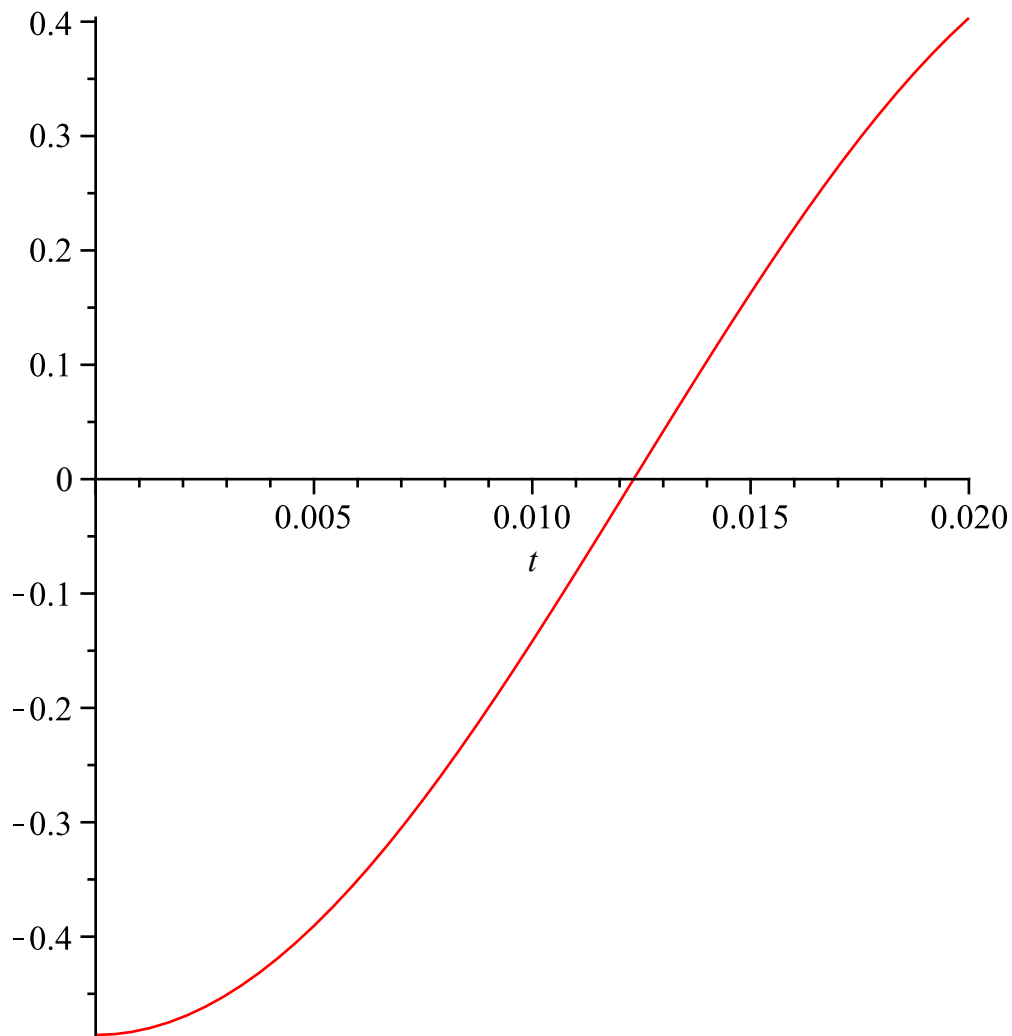
> $EcuaDinamica,$

$$\frac{23}{9810} \frac{d^2}{dt^2} s(t) + \frac{381}{10} s(t) = 0 \quad (4)$$

> $RecorridoArco := dsolve(\{EcuaDinamica, Condiciones\}) : evalf(\%, 4)$
 $s(t) = -0.4860 \cos(127.4 t)$

(5)

> $plot(rhs(RecorridoArco), t = 0 .. 0.02)$



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> TiempoArco := solve(rhs(RecorridoArco) = 0, t) : evalf(%, 3)
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0.0123

(6)

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> VelocidadSalida := subs(t = TiempoArco, rhs(diff(RecorridoArco, t))) : evalf(%, 3);
evalf(%%, 3) · ( 3600 / 1000 )
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61.9

222.8400000

(7)

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TIRO PARABÓLICO

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> EcuaVertical := diff(y(t), t$2) = -gravedad; EcuaHorizontal := diff(x(t), t)
= VelocidadSalida · cos( Pi / 4 )
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$$EcuaVertical := \frac{d^2}{dt^2} y(t) = -\frac{981}{100}$$

$$EcuaHorizontal := \frac{d}{dt} x(t) = \frac{729}{23000} \sqrt{955167} \sqrt{2}$$

(8)

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> CondVerticales := y(0) = 2, D(y)(0) = VelocidadSalida · sin( Pi / 4 )
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$$\text{CondVerticales} := y(0) = 2, D(y)(0) = \frac{729}{23000} \sqrt{955167} \sqrt{2} \quad (9)$$

$$\begin{aligned} &> \text{CondHorizontales} := x(0) = 5 \\ &\quad \text{CondHorizontales} := x(0) = 5 \end{aligned} \quad (10)$$

$$\begin{aligned} &> \text{SolVertical} := \text{dsolve}(\{\text{EcuaVertical}, \text{CondVerticales}\}) : \text{evalf}(\%, 3); \text{SolHorizontal} \\ &\quad := \text{dsolve}(\{\text{EcuaHorizontal}, \text{CondHorizontales}\}) : \text{evalf}(\%, 3) \\ &\quad y(t) = -4.90 t^2 + 43.7 t + 2. \\ &\quad x(t) = 43.7 t + 5. \end{aligned} \quad (11)$$

$$\begin{aligned} &> \text{TiempoVuelo} := \text{solve}(\text{rhs}(\text{SolVertical}) = 0, t) : \text{evalf}(\%, 3) \\ &\quad -0.05, 8.97 \end{aligned} \quad (12)$$

$$\begin{aligned} &> \text{DistanciaMaxima} := \text{subs}(t = \text{TiempoVuelo}_2, \text{rhs}(\text{SolHorizontal})) : \text{evalf}(\%, 5) \\ &\quad 398.25 \end{aligned} \quad (13)$$

$$\begin{aligned} &> \text{TiempoAltura} := \text{solve}(\text{rhs}(\text{diff}(\text{SolVertical}, t)) = 0, t) : \text{evalf}(\%, 3) \\ &\quad 4.46 \end{aligned} \quad (14)$$

$$\begin{aligned} &> \text{AlturaMaxima} := \text{subs}(t = \text{TiempoAltura}, \text{rhs}(\text{SolVertical})) : \text{evalf}(\%, 5) \\ &\quad 99.816 \end{aligned} \quad (15)$$

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