

> restart  
 > SolGral := y(x) = \_C1·exp(2·x) + \_C2·exp(-x) + \_C3·exp(4 x)  
 SolGral := y(x) = \_C1 e<sup>2x</sup> + \_C2 e<sup>-x</sup> + \_C3 e<sup>4x</sup> (1)

> Sistema := diff(SolGral, x), diff(SolGral, x\$2), diff(SolGral, x\$3) : Sistema[1]; Sistema[2];  
 Sistema[3];

$$\frac{d}{dx} y(x) = 2\_C1 e^{2x} -\_C2 e^{-x} + 4\_C3 e^{4x}$$

$$\frac{d^2}{dx^2} y(x) = 4\_C1 e^{2x} +\_C2 e^{-x} + 16\_C3 e^{4x}$$

$$\frac{d^3}{dx^3} y(x) = 8\_C1 e^{2x} -\_C2 e^{-x} + 64\_C3 e^{4x}$$
 (2)

> Para := solve({Sistema}, {\_C1, \_C2, \_C3}) : Para[1]; Para[2]; Para[3]

$$\_C1 = -\frac{-3 \frac{d^2}{dx^2} y(x) - 4 \frac{d}{dx} y(x) + \frac{d^3}{dx^3} y(x)}{12 e^{2x}}$$

$$\_C2 = -\frac{-6 \frac{d^2}{dx^2} y(x) + 8 \frac{d}{dx} y(x) + \frac{d^3}{dx^3} y(x)}{15 e^{-x}}$$

$$\_C3 = \frac{-\frac{d^2}{dx^2} y(x) - 2 \frac{d}{dx} y(x) + \frac{d^3}{dx^3} y(x)}{40 e^{4x}}$$
 (3)

> EcuadifIni := subs(\_C1 = rhs(Para[1]), \_C2 = rhs(Para[2]), \_C3 = rhs(Para[3]), SolGral)

$$EcuadifIni := y(x) = \frac{5 \frac{d^2}{dx^2} y(x)}{8} - \frac{\frac{d}{dx} y(x)}{4} - \frac{\frac{d^3}{dx^3} y(x)}{8}$$
 (4)

> EcuacionDiferencialFinal := lhs(EcuadifIni)·8 - rhs(EcuadifIni)·8 = 0

$$EcuacionDiferencialFinal := 8 y(x) - 5 \frac{d^2}{dx^2} y(x) + 2 \frac{d}{dx} y(x) + \frac{d^3}{dx^3} y(x) = 0$$
 (5)

> SolGralDos := dsolve(EcuacionDiferencialFinal)

$$SolGralDos := y(x) = c_1 e^{-x} + c_2 e^{4x} + c_3 e^{2x}$$
 (6)

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